

Announcements – 10/30/00

- Problem Set Solutions

- Ch. 4 & 5 now online (also available in P/C Library)

- Ch. 6 & 7 coming later this week

- Website updates

- Maxwell-Boltzmann moved (“Goodies” page!)

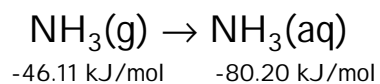
- Quiz

- Demo Explained

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Ammonia Fountain Demo

- The reaction:



$$\Delta H = (-80.20 \text{ kJ/mol}) - (-46.11 \text{ kJ/mol}) = \underline{\underline{-34.18 \text{ KJ}}}$$

$$n = PV/RT = (1.0 \text{ atm})(2.0 \text{ L})/(0.08206)(298.15 \text{ K}) = \underline{\underline{8.17 \times 10^{-2} \text{ mol}}}$$

$$\text{PV work} = \Delta nRT = \underline{\underline{200 \text{ J}}}$$

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More QN and Orbitals

3. The Magnetic Quantum Number (m_l)

- can have integer values from l @ $-l$
- describes the orientation of the orbital in space

So, some examples:

n=1: only one value of l possible (0) **1s orbital**
 only one value of m_l possible (0)

n=2: $l = 0, 1$ (s and p orbitals)
 For **l = 1** $m_l = -1, 0, 1$ ($2p_x, 2p_y, 2p_z$)

n=3: $l = 0, 1, 2$ (s, p and d orbitals)
 l = 2: $m_l = -2, -1, 0, 1, 2$ ()

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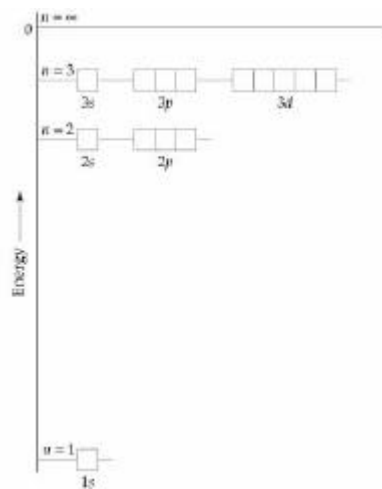
Orbital Energies

For Hydrogen:

- energies vary with n
- same result as with Bohr

$$E_n = \frac{-(e^4 m_e) Z^2}{(8 \epsilon_0 h^2) n^2} = \frac{-R_H Z^2}{n^2}$$

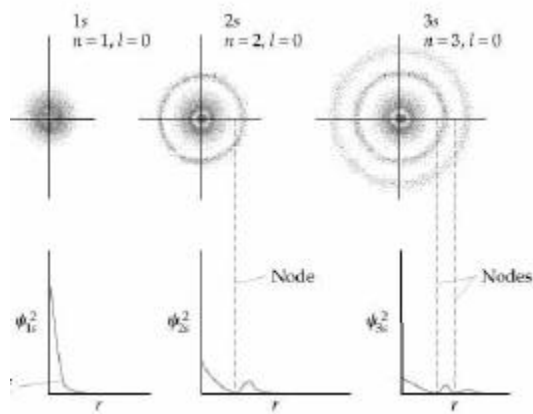
- also applies to other *one-electron* systems



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Orbital Shapes: s-orbitals

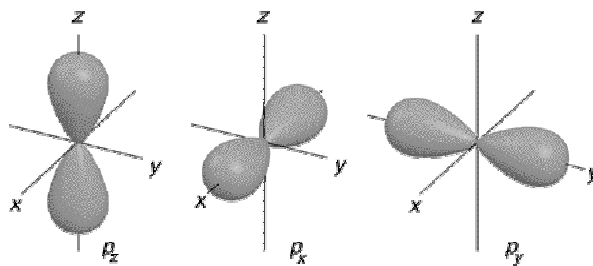
- All s-orbitals are *spherical* but have different *radial* probability distributions:



- S-orbitals have $n-1$ radial nodes
- As n increases, so does the orbital size

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Orbital Shapes: p-orbitals

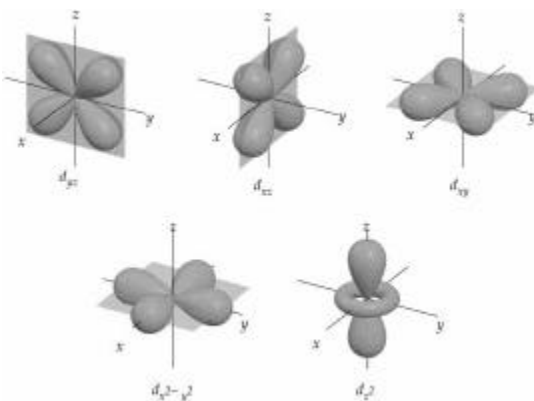


- p-orbitals are “dumbbell” shaped
- Subscripts indicate primary orientation axis
- Nodal plane at nucleus
- As n increases, the size of the p-orbitals increases

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Orbital Shapes: d-orbitals

- Three "4-leaf clover" shapes in three planes (xy, xz, yz) oriented *between* the axes
- One "4-leaf clover" shape in xy plane oriented *along* the axes
- One dumbbell shape with a doughnut in xy plane



I'm not making this up . . . really!

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Beyond Hydrogen

- For atoms with more than one electron, we use the same orbitals (phew!) BUT their energies are not the same.
- Electron energies can be related to the *effective nuclear charge* (Z_{eff}) they experience in an orbital:

$$Z_{\text{eff}} = Z - S$$

-electrons in inner shells can *shield* the outer shell electrons from the full positive charge (Z) of the nucleus ($S = \#$ of **inner shell electrons**)

- In general: for a fixed value of n , energies *increase* with increasing values of l . (i.e., $d > p > s$)

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