

# Energy, Heat and Chemical Change

Chemistry 35

Fall 2000

## Thermochemistry

- A part of *Thermodynamics* dealing with **energy changes** associated with physical and chemical reactions

### Why do we care?

- will a reaction proceed spontaneously?
- if so, to what extent?

### It won't tell us:

- how *fast* the reaction will occur
- the *mechanism* by which the reaction will occur

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# What is Energy?

- Energy is the **capacity to do work or to transfer heat**

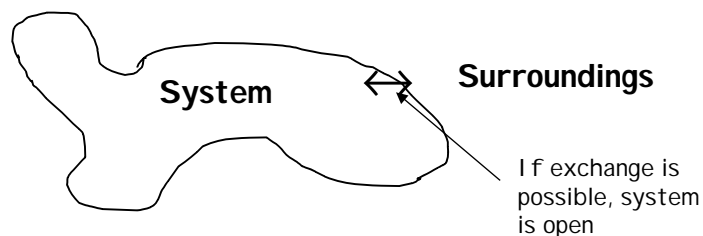
-**Kinetic Energy**: energy associated with mass in motion (recall:  $E_k = \frac{1}{2}mv^2$ )

-**Potential Energy**: energy associated with the *position* of an object relative to other objects (energy that is *stored* - can be converted to kinetic energy)

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# The System

- We must define what we are studying:



**System**: portion of the universe under study

**Surroundings**: everything else

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# Energy Transfer

- Energy can be transferred in two different ways:

1. By doing **Work** (applying a force over a distance)

$$W = F \times d$$

2. **Heat** -  $q$  (results in a change in temperature)

**Note:**  $W$ ,  $q$ , and  $E$  all have the same units (*Joule*), but:

- $W$  &  $q$  depend on *path* (path function)
- $E$  is *independent of path* (state function)

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# First Law of Thermodynamics

- "The total energy of the universe is *constant*."
- "Energy is neither created or destroyed in a process, only converted to another form."

**-Conservation of Energy**

- "You can't win . . . you can only break even."

The diagram shows the equation  $\Delta E = q + w$  enclosed in a box. Three arrows point from the text below to the terms in the equation: one from 'Change in energy of the system' to  $\Delta E$ , one from 'Heat Flow:' to  $q$ , and one from 'Work:' to  $w$ .

Change in energy of the system

Heat Flow:  
+ is into system  
- is out of system

Work: + is done on system  
- is done by system

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## Example: Gas in a cylinder (fixed volume)

- Suppose we have a gas in a cylinder with a movable piston:

• What if:

- The piston is locked in a fixed position

-Volume is *constant*, so:  $w = 0$

$$\rightarrow w = f \times d \quad \text{OR} \quad w = P\Delta V = 0$$

Thus:  $\Delta E = q_v$

- Now, if we add *heat* to the system:

$q > 0$ , so  $\Delta E > 0$  (E incr.)

-temp incr  $\rightarrow E_k = 3/2 RT \rightarrow \Delta E_k = 3/2 R\Delta T$



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## Example: Gas in a cylinder (variable volume)

- Ok, now let's allow the piston to move, but let's **disallow heat flow** ( $q = 0$ ) - adiabatic process

So:  $\Delta E = w = -P\Delta V$

Movie!

- Gas Compression:  $\Delta V < 0 \rightarrow \underline{DE is +}$ 
  - work is done *on* the system
  - temperature of the gas *increases*
- Gas Expansion:  $\Delta V > 0 \rightarrow \underline{DE is -}$ 
  - work is done *by* the system
  - temperature of the gas *decreases*

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## Measuring $\Delta E$

- We can measure  $q$  by the change in temperature:

If  $q > 0$ : heat is *added* to the system

-**endothermic** (system absorbs heat)  
-temperature (*of the surroundings*)  
decreases

If  $q < 0$ : heat is *given off* by the system

-**exothermic** (system loses heat)  
-temperature (*of the surroundings*)  
increases

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## Calorimetry: Measuring $\Delta E$

- We can quantify heat flow ( $q$ ) by measuring the change in temperature of a system: *Calorimetry*

**Heat Capacity (C)**: amount of heat ( $q$ ) required to raise the temperature of a substance by 1 K

-if we calculate C for a *specific amount* of a particular substance, we call it the **Molar Heat Capacity** ( $c_v$  at constant volume) or the **Specific Heat Capacity** ( $c_s$ , per gram of the substance)

Example: for 100.0 g H<sub>2</sub>O → *specific heat* = 4.184 J/g - K

$$\begin{aligned} C &= \text{mass} \times \text{specific heat} = m \times c_s \\ &= 100.0 \text{ g} \times 4.184 \text{ J/g} - \text{K} \\ &= \underline{\underline{418.4 \text{ J/K}}} \end{aligned}$$

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## Heat flow and temperature

- Now we can relate  $q$  and temperature:

$$q = C (T_{\text{final}} - T_{\text{initial}})$$

Example: How much heat is required to raise the temperature of 232.0 g H<sub>2</sub>O from 25.0 °C to 78.0 °C?

$$\begin{aligned} q &= C\Delta T = (m \times \text{specific heat})(\Delta T) \\ &= (232.0 \text{ g} \times 4.184 \text{ J/g} \cdot \text{K})(78.0 - 25.0) \\ &= (970.688 \text{ J/K})(53.0 \text{ K}) \\ &= 51446.464 \text{ J} = \mathbf{5.14 \times 10^4 \text{ J}} \\ &= \mathbf{51.4 \text{ kJ}} \end{aligned}$$

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## Constant-Volume Calorimetry

- Use a "bomb" calorimeter:

-typically used with *combustion* reactions

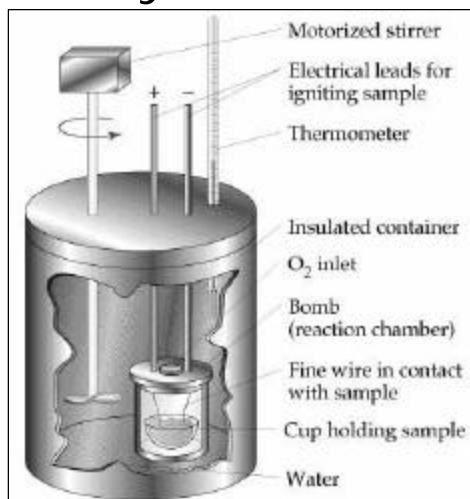
-heat ( $q$ ) from rxn is transferred to the water and the calorimeter

-knowing the *heat capacity* of the calorimeter:

$$q_{\text{rxn}} = -C_{\text{cal}} \times \Delta T$$

So:  $q_v = \Delta E$

( $w=0$  @ constant volume)



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# Enthalpy

- Chemistry is commonly performed at *constant pressure*, so:
  - it is easy to measure *heat flow* ( $q_p$ )
  - work ( $P\Delta V$ ) is small (but finite) and hard to measure

Define a new term: **Enthalpy (H)**

$$H = E + PV$$

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# Relating Enthalpy and Heat

- Recall:  $\Delta E = q + w$
- At constant pressure:  $\Delta E = q_p - P\Delta V$
- Rearranging:  $q_p = \Delta E + \Delta PV$   
 $q_p = D(E + PV)$
- Substituting:  $\underline{q_p = DH}$

So, if we measure  $q_p$ , then we can obtain the enthalpy change ( $\Delta H$ ) directly

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# Constant-Pressure Calorimetry

- So-called "coffee-cup" calorimetry:

- Add reactants to cup
- Measure resulting temperature increase (or decrease)
- $q_{\text{soln}} = -q_{\text{rxn}}$
- So:  $\Delta H = -q_{\text{soln}} = -m_{\text{soln}}(\text{sp heat})\Delta T$
- You will do this *this* week in lab!



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## How are $\Delta E$ and $\Delta H$ related?

- From the definition of Enthalpy:

$$\Delta H = \Delta E + P\Delta V$$

-for an ideal gas:  $P\Delta V = RT\Delta n$

So:

$$\Delta H = \Delta E + RT\Delta n$$

$q_p$        $q_v$       PV work

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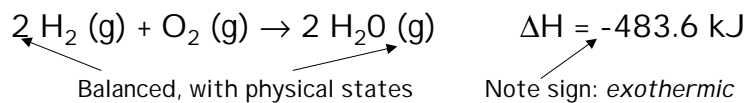


## Enthalpies of Reactions

- Enthalpy (H) is a *state function*, so all we need to know are the initial and final values for a reaction:

$$\Delta H_{\text{rxn}} = H (\text{products}) - H (\text{reactants})$$

Together with a balanced reaction expression, we have a **thermochemical equation**:



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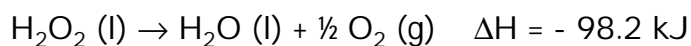
## More on Enthalpy

- Enthalpy is an extensive property
  - the magnitude of  $\Delta H$  depends on the **quantity** of reactant
- $\Delta H_{\text{forward}} = - \Delta H_{\text{reverse}}$ 
  - reverse reaction will have same  $\Delta H$ , but with the *opposite* sign
- Reactions with  $\Delta H \ll 0$  often occur *spontaneously*
  - but not always; there are exceptions (wait until Thermodynamics to resolve this fully!)

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## Enthalpy of Reaction Calculation Example

- Calculate the  $\Delta H$  for the reaction that occurs when  $1.00\text{ g H}_2\text{O}_2$  decomposes according to the following reaction:



convert:  $\text{g H}_2\text{O}_2 \rightarrow \text{kJ}$

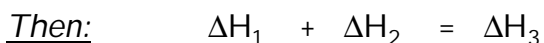
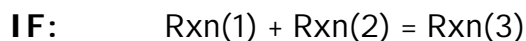
$$1.00 \text{ g H}_2\text{O}_2 \times \frac{1 \text{ mol H}_2\text{O}_2}{34.01 \text{ g H}_2\text{O}_2} \times \frac{-98.2 \text{ kJ}}{1 \text{ mol H}_2\text{O}_2} =$$

$$= \underline{\underline{-2.89 \text{ kJ}}}$$

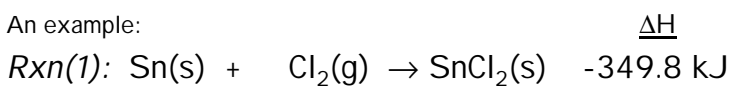
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## Hess's Law

- $\Delta H$  is a *state function* so we can use *any* sequence of reactions (that sum to the desired reaction) to calculate a value of  $\Delta H_{\text{rxn}}$ :



An example:

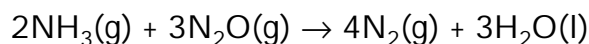


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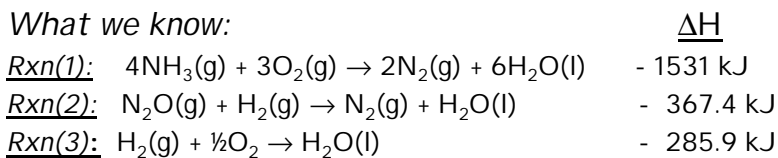
## Hess's Law: Example

- We can use Hess's Law to calculate  $\Delta H$  for reactions without ever actually having to perform the reaction:

Find  $\Delta H$  for the following reaction:



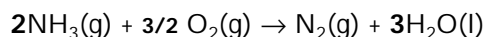
What we know:



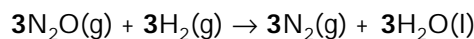
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## Hess's Law Example: Cont'd

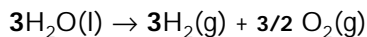
- We need to react only *TWO mol NH<sub>3</sub>*, so divide rxn(1) by 2:



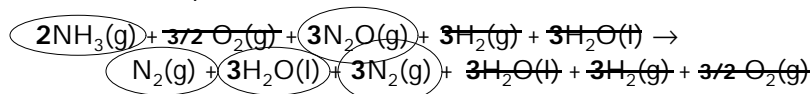
- We need to react *THREE mol N<sub>2</sub>O*, so multiply rxn(2) by 3:



- We need to get rid of the stuff not in the final rxn ( $\text{H}_2$ ,  $\text{O}_2$ , and excess  $\text{H}_2\text{O}$ ), so reverse rxn(3) and multiply by 3:



- Add 'em up!



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## Hess's Law Example: The Thrilling Conclusion!

- Whatever was done to the *reaction equations*, we need to do to the  $\Delta H$  values:

$$\Delta H_1 \div \underline{2} = -1531 \div 2 = -765.5 \text{ kJ}$$

$$\Delta H_2 \times \underline{3} = -367.4 \times 3 = -1102.2 \text{ kJ}$$

$$\Delta H_3 \times \underline{(-3)} = -285.9 \times (-3) = \underline{857.7 \text{ kJ}}$$

$$\underline{\Delta H_{\text{rxn}} = -1010.0 \text{ kJ}}$$

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## Enthalpies of Formation

- A *consistent* way to tabulate  $\Delta H$  values:
  - for a *defined* reaction type (formation from elements)
  - for a *fixed* amount of compound (1 mol)
  - under *standard* conditions (25 °C, 1 atm)

Called: **The Standard Molar Enthalpy of Formation**

or

$$\Delta H_f^\circ$$

Example:



Then:  $\Delta H_f^\circ(\text{AgCl(s)}) = -127.0 \text{ kJ/mol}$

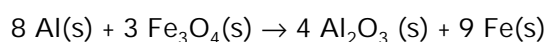
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## Using Enthalpies of Formation

- Hess's Law and tabulated  $\Delta H_f^\circ$  values are a powerful tool for predicting enthalpy changes for reactions:

$$\Delta H^\circ = \sum \Delta H_f^\circ (\text{products}) - \sum \Delta H_f^\circ (\text{reactants})$$

Example: *The Thermite Reaction*



We know:  $\Delta H_f^\circ (\text{Fe}_3\text{O}_4) = -1120.9 \text{ kJ}$

$\Delta H_f^\circ (\text{Al}_2\text{O}_3) = -1669.8 \text{ kJ}$

So:

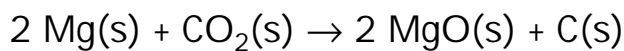
$$\Delta H^\circ = [4(-1669.8 \text{ kJ/mol}) + 9(0)] - [3(-1120.9 \text{ kJ/mol}) + 8(0)]$$

$$\Delta H^\circ = (-6679.2 \text{ kJ}) - (-3362.7) = \underline{\underline{-3316.5 \text{ kJ}}}$$

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## Demo Example: Burning Mg

- The overall reaction is:



$$\Delta H_f^\circ: \quad 0 \quad ?? \quad -601.70 \text{ kJ/mol} \quad 0$$

How do we find  $\Delta H_f^\circ$  for *SOLID*  $\text{CO}_2$ ?

**Use Hess's Law!**

We know:  $\Delta H_f^\circ$  for  $\text{CO}_2\text{(g)} = -393.51 \text{ kJ/mol}$

But how do we deal with *phase changes*?

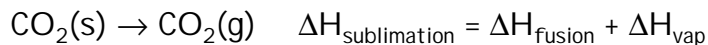
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## Enthalpies of Phase Changes

- There are enthalpy changes associated with *physical processes*:

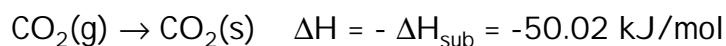


So:



$$\Delta H_{\text{sublimation}} = 50.02 \text{ kJ/mol}$$

We want:



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## Putting it all together

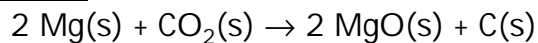
- So, to get  $\Delta H^{\circ}_f$  for  $\text{CO}_2(\text{g})$ :



Adding gives:



And, finally:



$$\Delta H^{\circ}_f: \quad 0 \quad -443.53 \text{ kJ/mol} \quad -601.70 \text{ kJ/mol} \quad 0$$

$$\Delta H^{\circ}_{\text{rxn}} = 2(-601.70 \text{ kJ/mol}) - (-443.53 \text{ kJ/mol}) = \underline{\underline{-759.87 \text{ kJ}}}$$

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## Bond Enthalpies

- Armed with Hess's law and  $\Delta H_f^\circ$  values, let's dissect the reaction process (i.e., the energetics of bond *making* and *breaking*):

For  $\text{CH}_4$  (methane):

We know:  $\text{C}(s) + 2 \text{H}_2(g) \rightarrow \text{CH}_4(g) \quad \Delta H_f^\circ = -74.9 \text{ kJ/mol}$

- We want to know: the **bond enthalpy** for the C-H bond

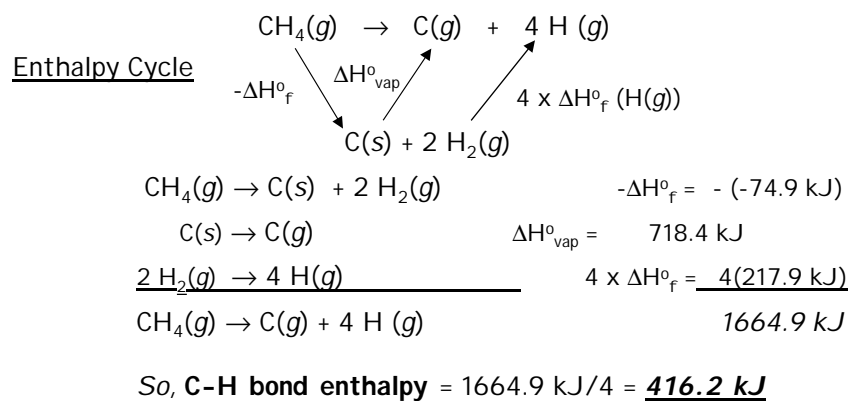
So, look at the reverse reaction:



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## Hess's Law to the rescue

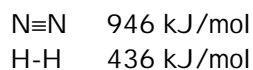
- We want to do this:



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## Bond Enthalpies: What good are they?

- They indicate how *strong* a bond is:



In general:  $\equiv > = > -$

- If we assume that bond enthalpies for a particular bond are constant in all compounds, then we can use them to estimate  $\Delta H_{\text{rxn}}$ :

$$\Delta H_{\text{rxn}} = \sum \text{Reactant Bond Enthalpies} - \sum \text{Product Bond Enthalpies}$$

(energy added to break bonds)      (energy released by making bonds)

-This works well if there are no intermolecular forces (i.e., in the gas phase!)

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